



Towards Optimal Snow Information from Space: A Synthetic Comparison of Observation Constellation Configurations

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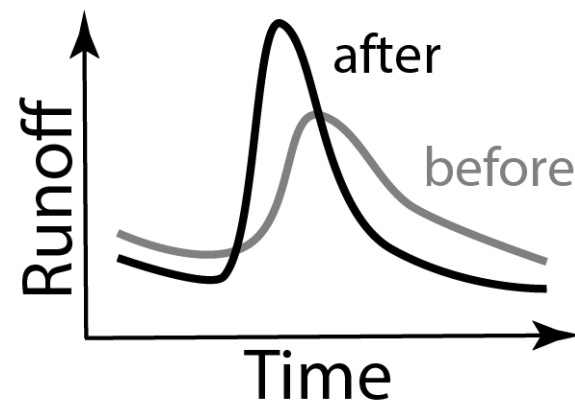
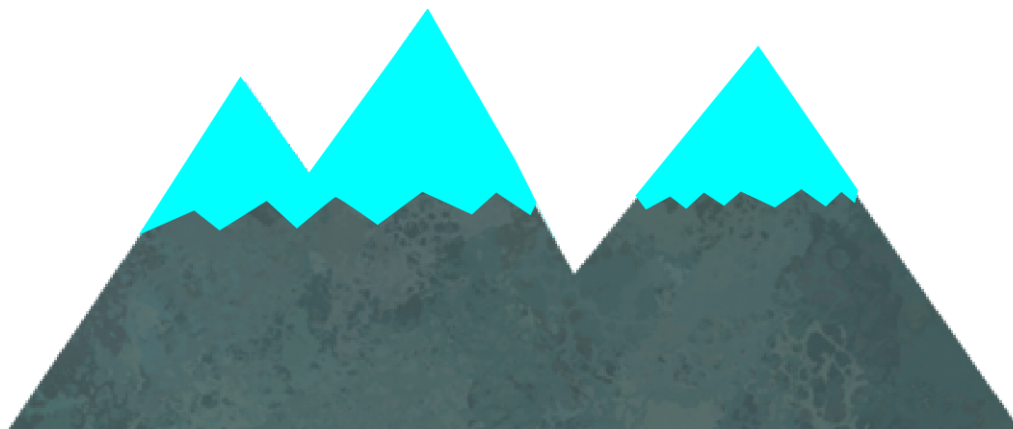
Earth Science Technology Forum

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Importance of Snow

- Snow is a **significant contributor** to terrestrial freshwater supply
 - Up to 80% of runoff in some Western states
- Vital resource for **>1 billion people** worldwide
 - Not exactly sure **how much snow** is out there
 - **Difficult to measure**; significant uncertainty;
- Global warming → rising snow line
 - **reduced** virtual reservoir; **accelerated** hydrologic cycle;





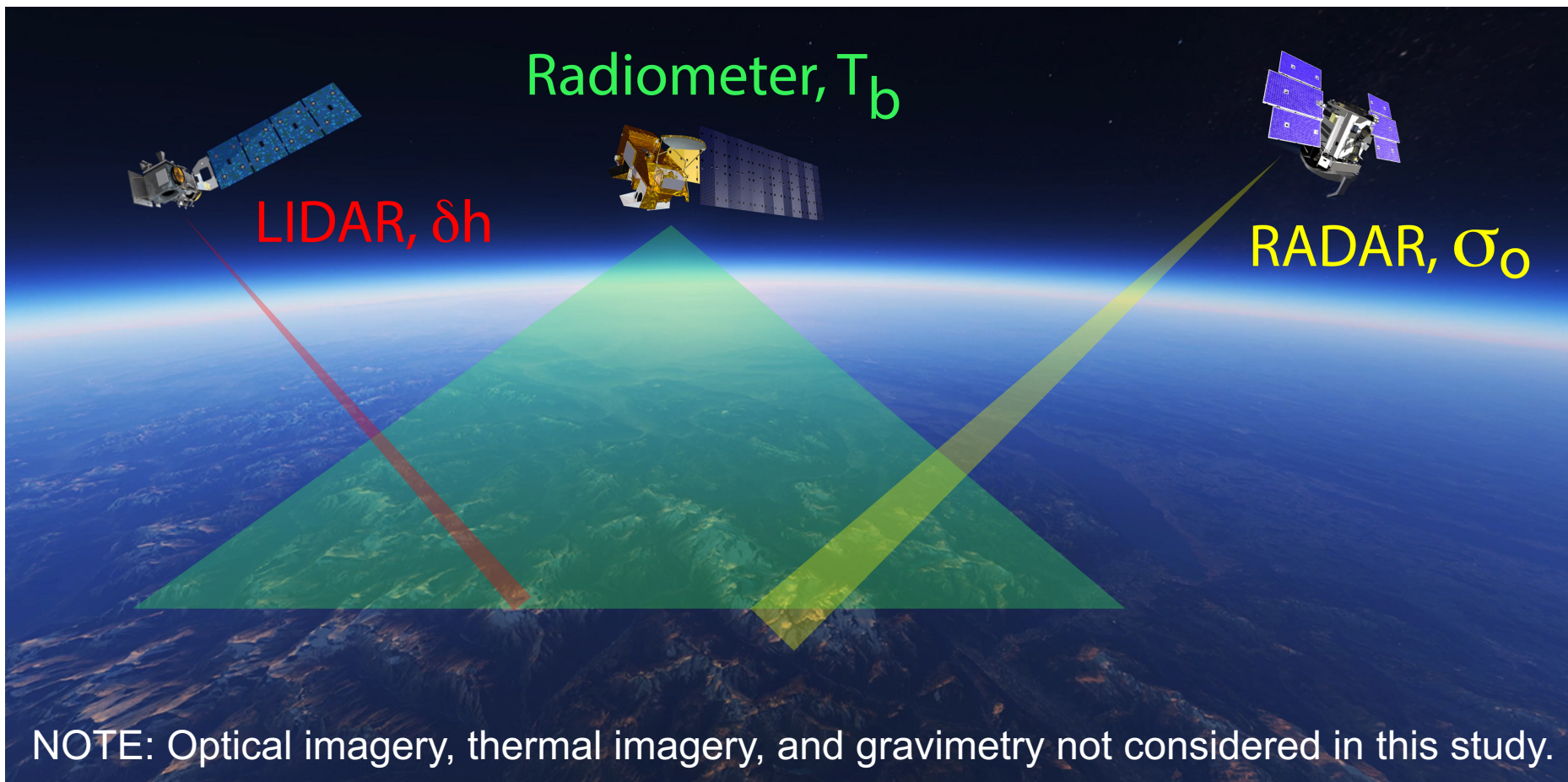
NASA Decadal Survey



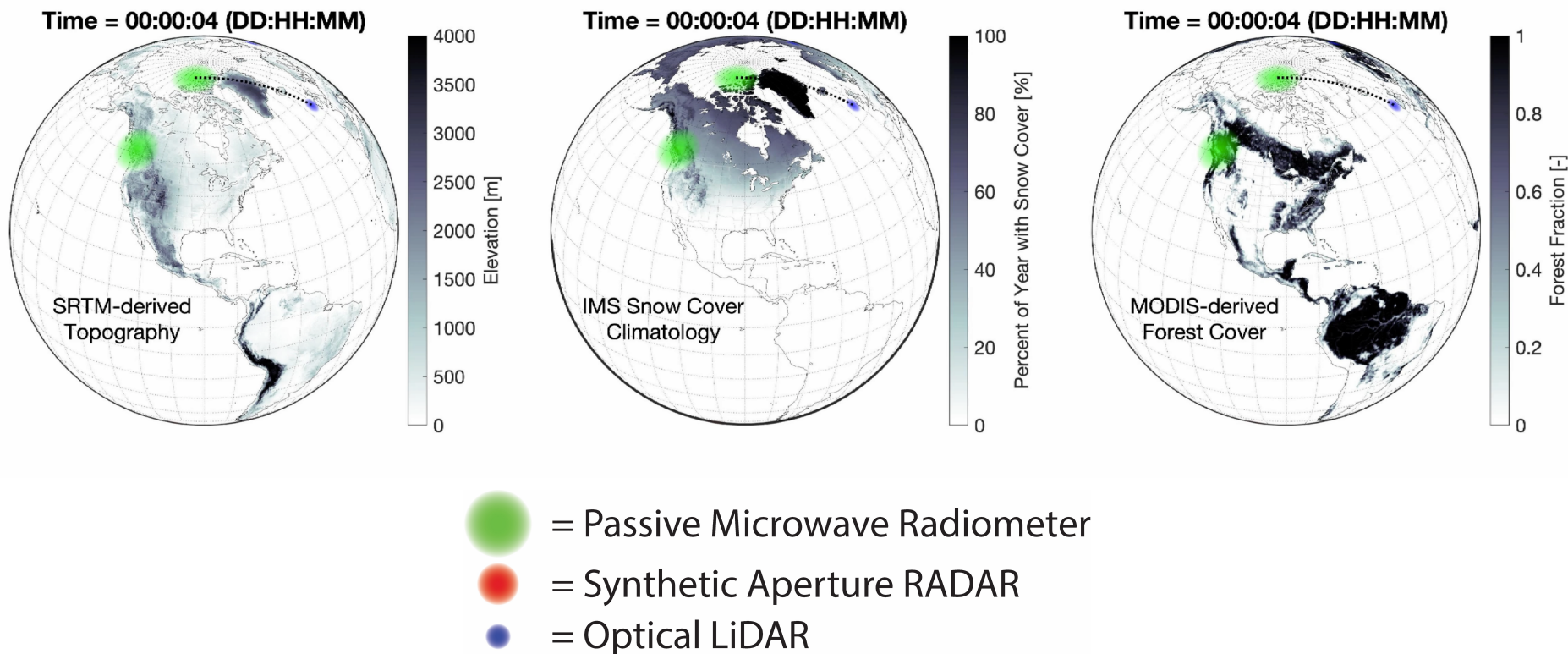
- Global warming → rising snow line → **reduced virtual reservoir**
- Goal is to improve snow mass estimation at regional / continental scales
 - **No dedicated snow mission**
 - **Water security** → food+energy security → **national security**

TABLE S.1 Science and Applications Priorities for the Decade 2017-2027

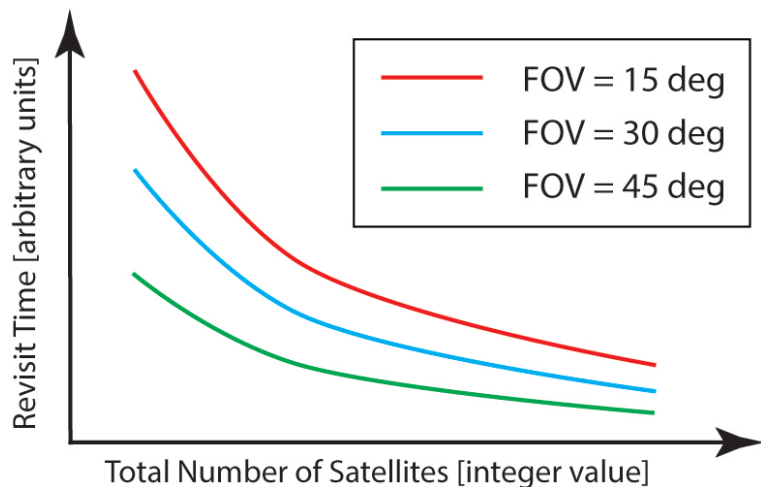
Science and Applications Area	Science and Applications Questions Addressed by <u>MOST IMPORTANT</u> Objectives
Coupling of the Water and Energy Cycles	<p>(H-1) <u>How is the water cycle changing?</u> Are changes in evapotranspiration and precipitation accelerating, with greater rates of evapotranspiration and thereby precipitation, and how are these changes expressed in the space-time distribution of rainfall, <u>snowfall</u>, evapotranspiration, and the frequency and magnitude of extremes such as <u>droughts and floods</u>?</p> <p>(H-2) How do anthropogenic changes in climate, land use, water use, and water storage interact and <u>modify the water and energy cycles locally, regionally and globally</u> and what are the short- and long-term consequences?</p>



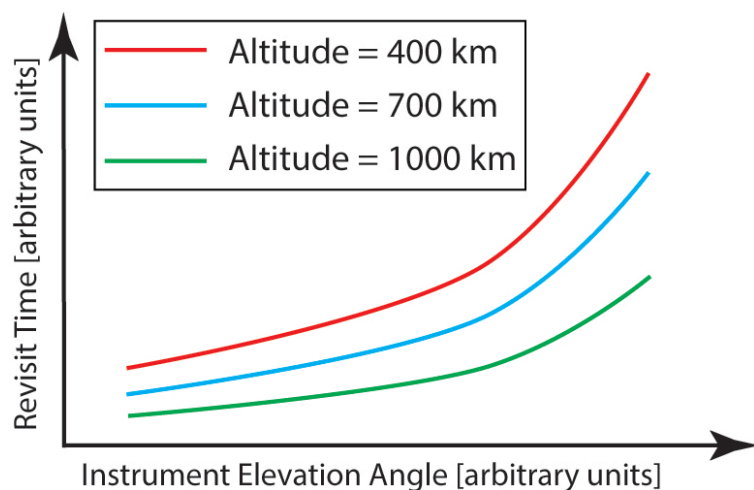
Multi-dimensional Trade Space



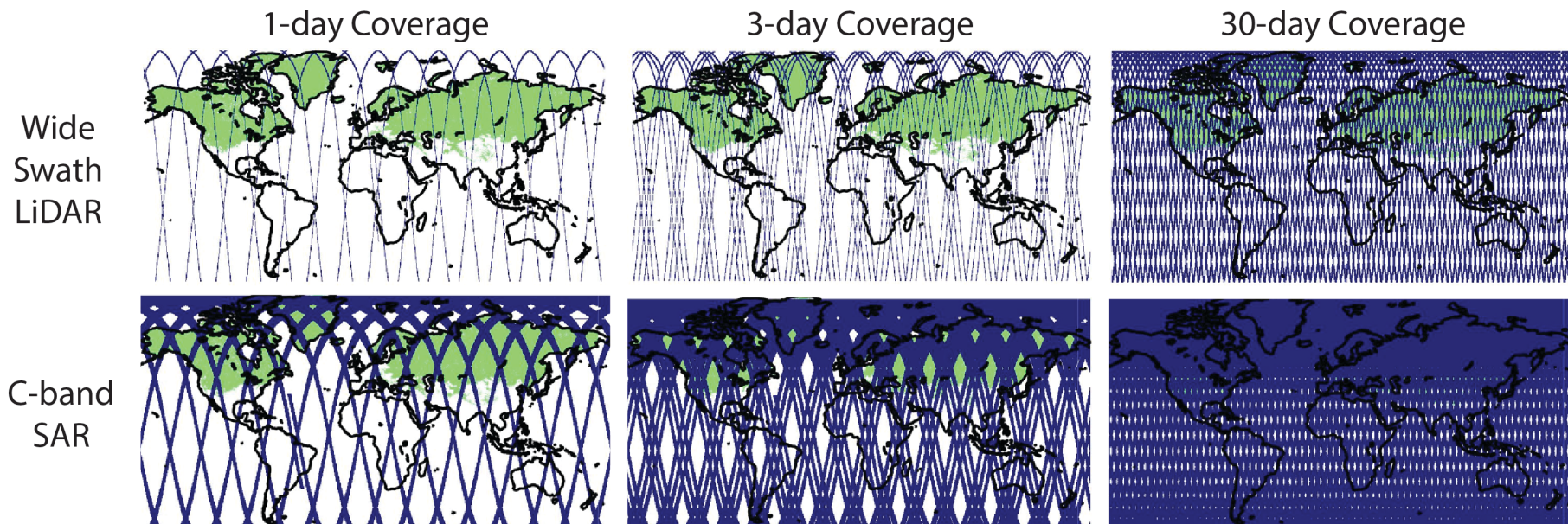
Trade-off Space: Coverage vs. Resolution



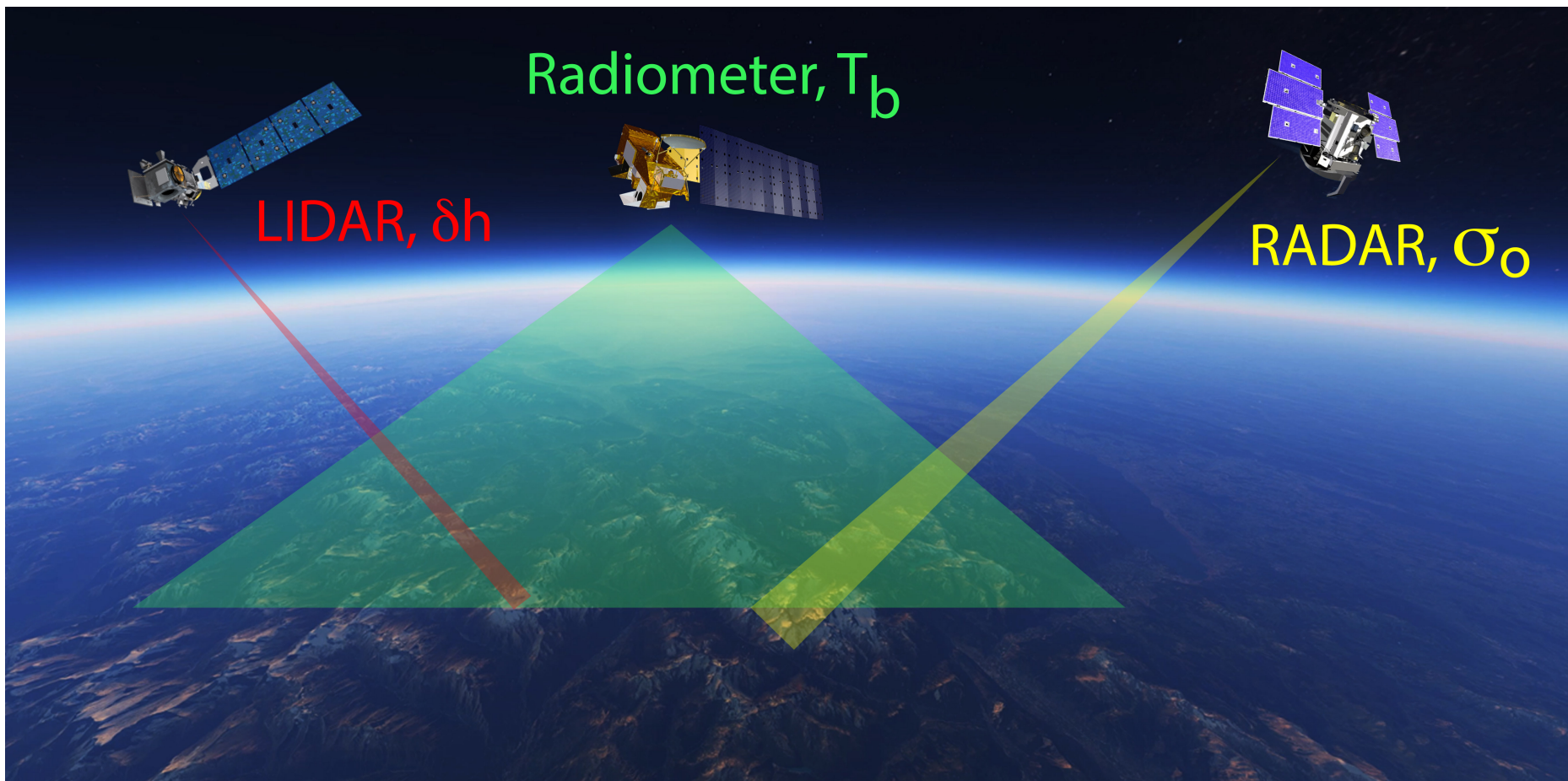
- Explore **trade-off** between engineering and science
 - Field-of-View (FOV)?
 - Platform altitude?
 - Repeat cycle?
 - Single platform vs. constellation?
 - Orbital configuration(s)?
- Tradespace Analysis Tool for Constellations (**TAT-C**)
 - Le Moigne et al. [2016]*
- How do we get the most **scientific bang** for our buck?



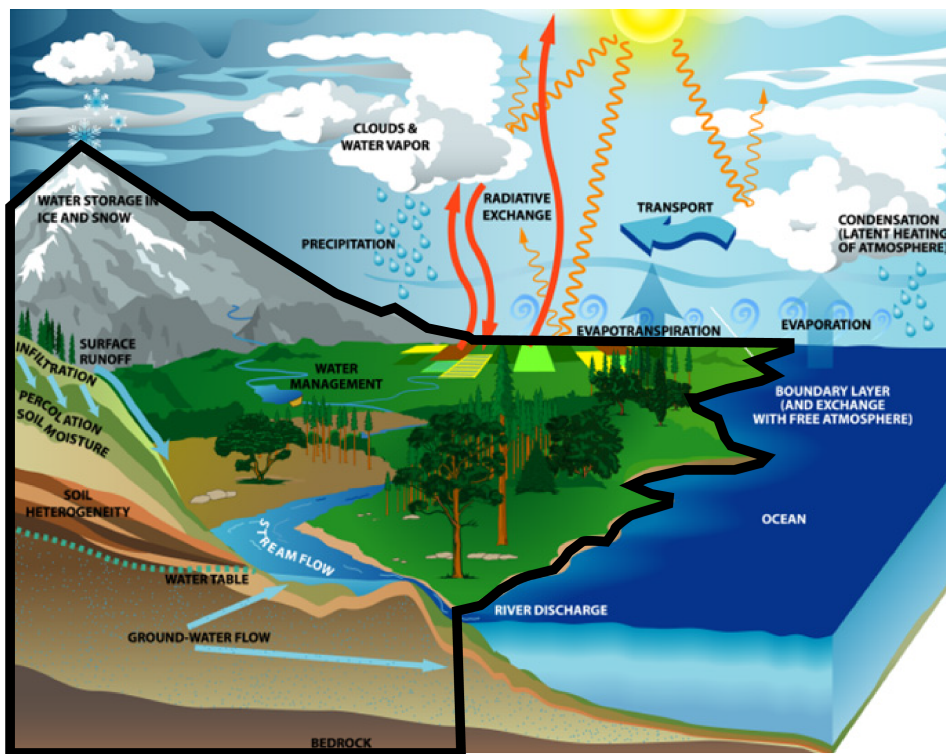
Trade-off Space: Swath Width vs. Coverage



Sensor	1-day (Snow / Land+Ocean)	3-day (Snow / Land+Ocean)	30-day (Snow / Land+Ocean)
Wide Swath LiDAR	5.4% / 3.9%	15% / 11%	55% / 55%
C-band SAR	40% / 28%	79% / 65%	96% / 91%
Passive MW Radiometer	98% / 89%	>99% / 99%	>99% / 99%



- Models **land surface processes** (including snow)
- Integrates satellite-based **observational data** products with land surface **modeling and data assimilation techniques**



Kumar et al. (2006), Land Information System: An interoperable framework for high resolution land surface modeling, Environmental Modeling and Software

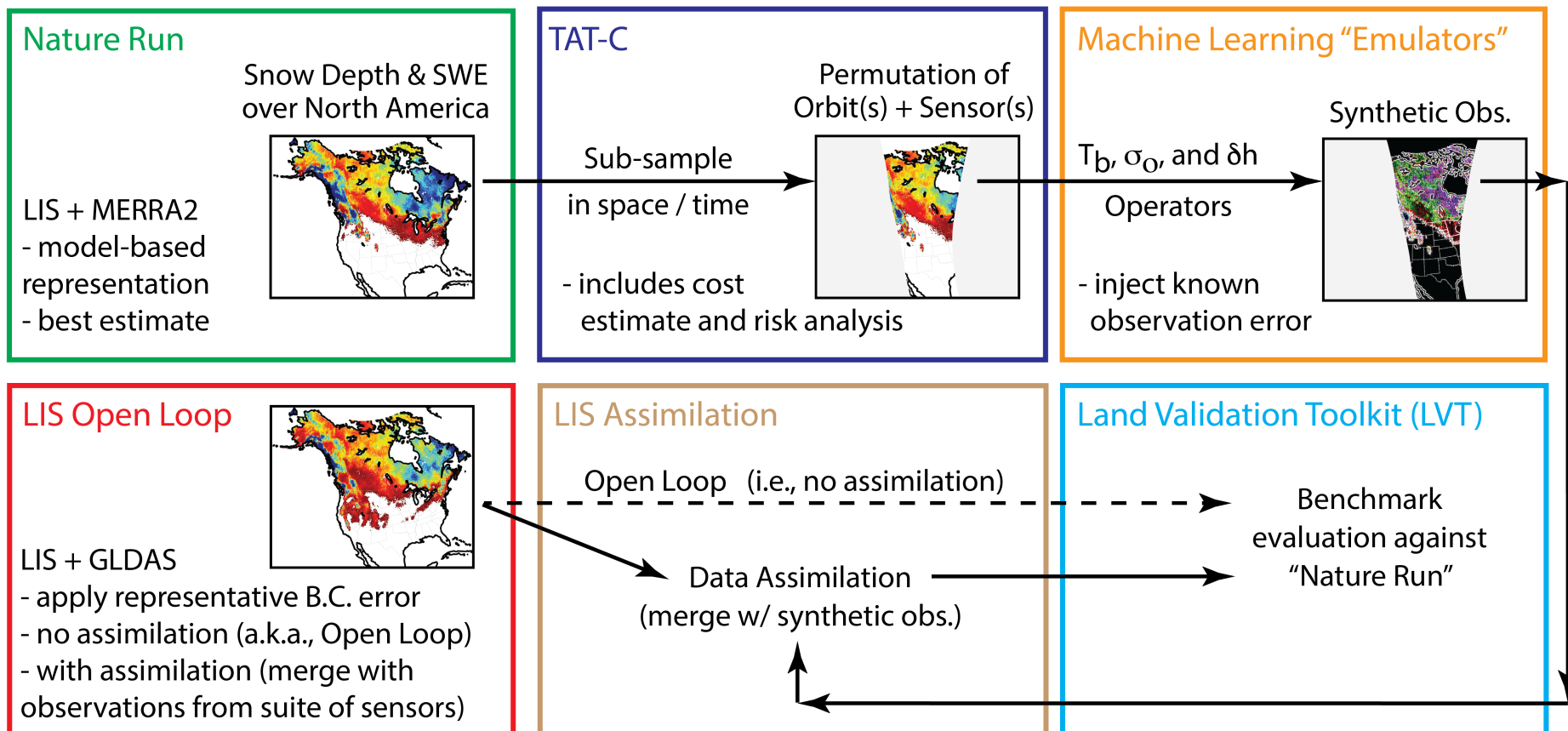


Research Objectives

Science and mission planning questions

- 1) What **observational records** are needed (in space and time) to maximize terrestrial snow experimental utility?
- 2) How might observations be **coordinated** (in space and time) to maximize this utility?
- 3) What is the **additional utility** associated with an additional observation?
- 4) How can future **mission costs be minimized** while ensuring Science requirements are fulfilled?

Observing System Simulation Experiment (OSSE)

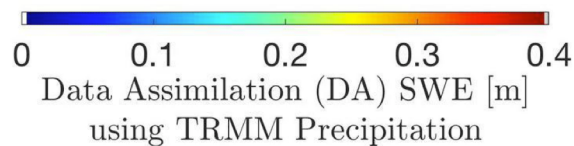
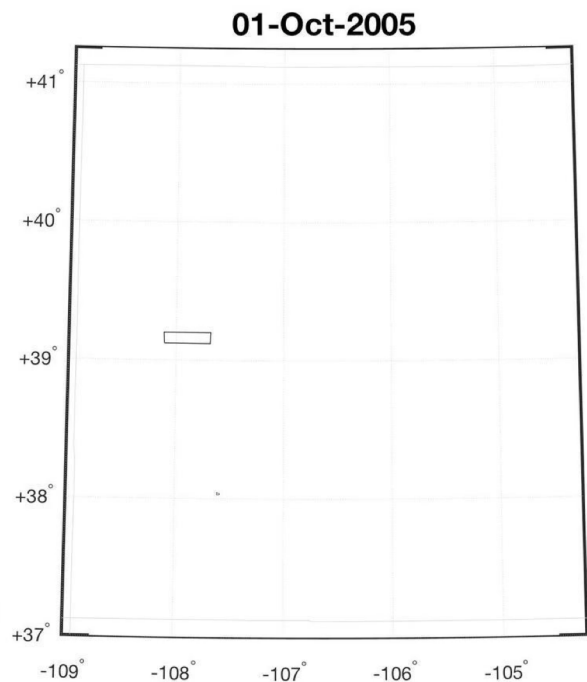
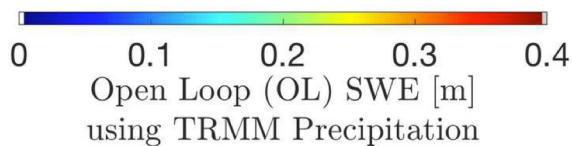
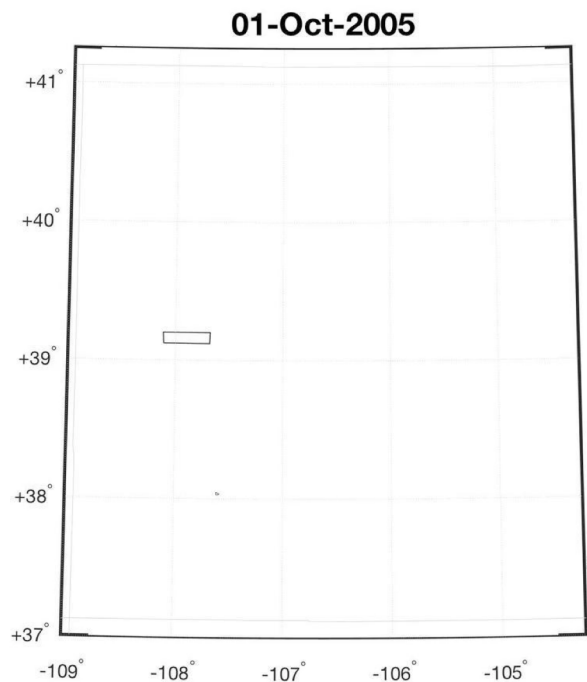
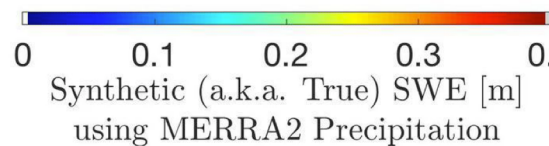
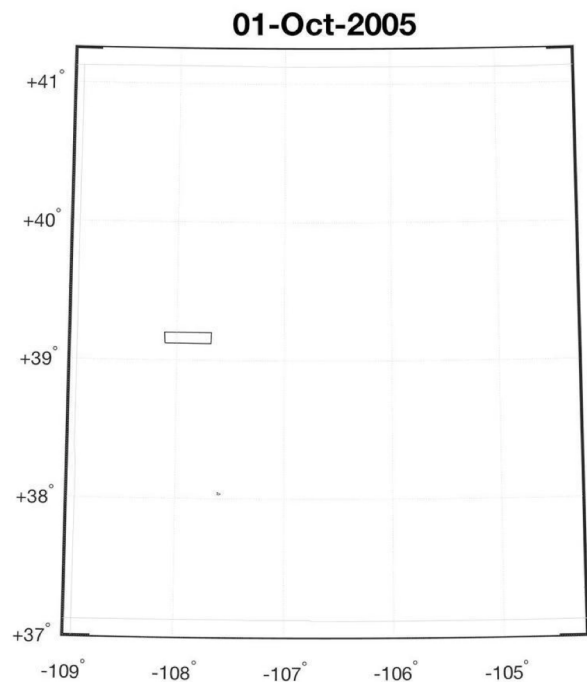


Synthetic Snow Depth Retrieval Results

“Truth”

OL

DA





Research Summary



- Global snow mission will require **evidence of achievable science** via OSSE . . . or some other means
- NASA LIS provides **“nature run”** plus assimilation framework
- TAT-C provides **spatiotemporal sub-sampling** of observations, including **cost estimates and risk assessments**
- Machine learning **maps model state(s) into observation space** (i.e., T_b and σ_0)
- Snow **OSSE is on-going** . . . production runs in process.



Thank You!

Questions and/or
comments?

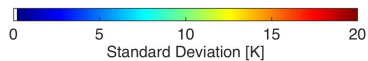
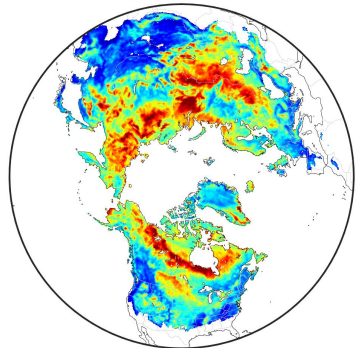


Extra Slides

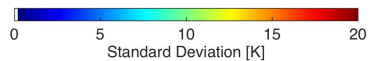
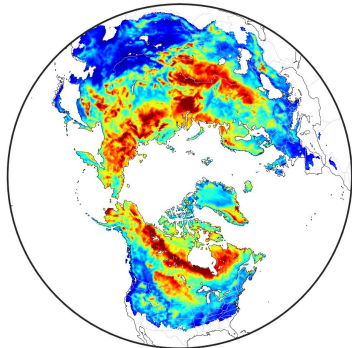


Spatiotemporal Variability

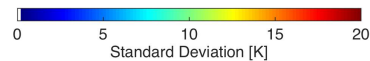
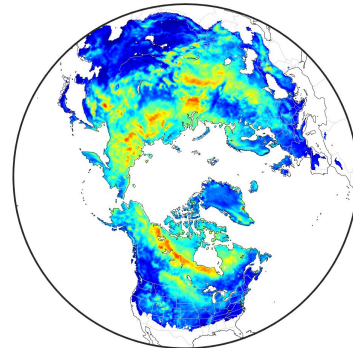
AMSR-E 10H-36H



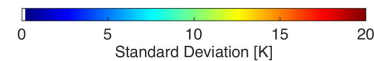
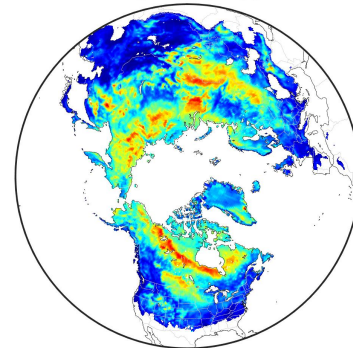
AMSR-E 10V-36V



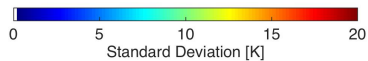
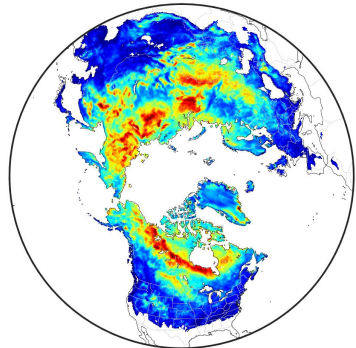
AMSR-E 18H-36H



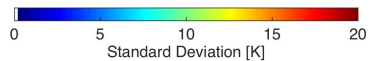
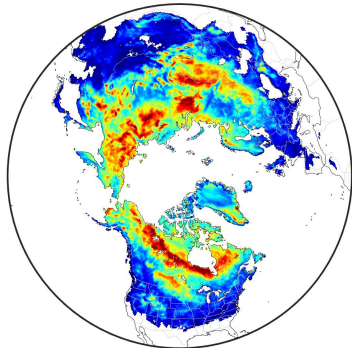
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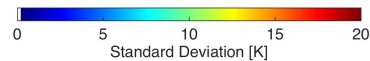
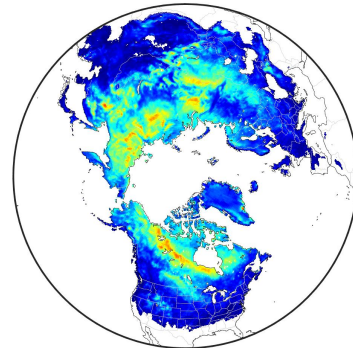
SVM 10H-36H



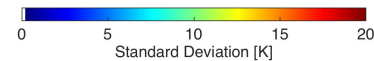
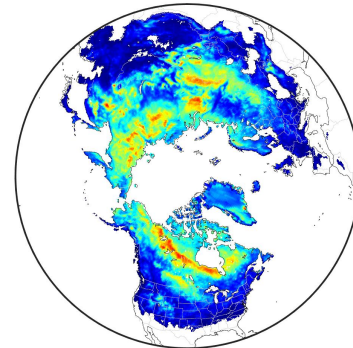
SVM 10V-36V



SVM 18H-36H



SVM 18V-36V



SVM Mathematical Framework (1 of 2)

For parameters $C > 0$ and $\varepsilon > 0$, the **standard (primal)** form is:

$$\begin{aligned} &\underset{\mathbf{w}, \delta, \xi, \xi^*}{\text{minimize}} && \frac{1}{2} \langle \mathbf{w} \cdot \mathbf{w} \rangle + C \sum_{i=1}^m (\xi_i + \xi_i^*) \\ &\text{subject to} && \langle \mathbf{w} \cdot \phi(\mathbf{x}_i) \rangle + \delta - z_i \leq \varepsilon + \xi_i \\ & && z_i - \langle \mathbf{w} \cdot \phi(\mathbf{x}_i) \rangle - \delta \leq \varepsilon + \xi_i^* \\ & && \xi_i, \xi_i^* \geq 0, i = 1, 2, \dots, m. \end{aligned}$$

where m is the available number of T_b measurements in time (for a given location in space), z_i is a T_b measurement at time i , and ξ and ξ^* are slack variables.

SVM Mathematical Framework (2 of 2)

Primal optimization is commonly solved in **dual form** as:

$$\begin{aligned}
 &\underset{\alpha_i, \alpha_i^*}{\text{minimize}} && \frac{1}{2} \sum_{i,j=1}^m (\alpha_i - \alpha_i^*) (\alpha_j - \alpha_j^*) \langle \phi(\mathbf{x}_i) \cdot \phi(\mathbf{x}_j) \rangle \\
 &&& + \varepsilon \sum_{i=1}^m (\alpha_i + \alpha_i^*) - \sum_{i=1}^m z_i (\alpha_i - \alpha_i^*) \\
 &\text{subject to} && \sum_{i=1}^m (\alpha_i - \alpha_i^*) = 0, \\
 &&& \alpha_i, \alpha_i^* \in [0, C], \quad i = 1, 2, \dots, m
 \end{aligned}$$

where α_i and α_i^* are Lagrangian multipliers, $\langle \phi(\mathbf{x}_i) \cdot \phi(\mathbf{x}_j) \rangle$ is the inner dot product of $\phi(\mathbf{x}_i)$ and $\phi(\mathbf{x}_j)$, ε is the specified error tolerance, and C is a positive constant that dictates a penalized loss during training.



Motivation
●○○

Methods
●○○

Results
●○○

Conclusions
●○○



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